Extending the Martini coarse-grained forcefield to 1 N-glycans 2 3 Aishwary T. Shiygan^{1, 2}, Jan K. Marzinek², Roland G. Huber², Alexander Krah², 4 Richard H. Henchman^{3,4}, Paul Matsudaira¹, Chandra S. Verma^{1,2,5,*}, Peter J. 5 Bond^{1,2,*} 6 7 8 1. National University of Singapore, Department of Biological Sciences, 14 Science Drive 4, Singapore 117543 9 10 2. Bioinformatics Institute (A*STAR), 30 Biopolis Street, #07-01 Matrix, 11 Singapore 138671 12 3. Manchester Institute of Biotechnology, The University of Manchester, 131 Princess Street, Manchester, M1 7DN, United Kingdom 13 Department of Chemistry, The University of Manchester, Oxford Road, 14 4. 15 Manchester, M13 9PL, United Kingdom School of Biological sciences, Nanyang Technological University, 50 16 5. 17 Nanyang Drive, Singapore 637551 18 19 * Corresponding authors: 20 21 Dr Peter J. Bond 22 Bioinformatics Institute (A*STAR) 23 30 Biopolis Str. #07-01 Matrix 24 25 Singapore 138671 26 Email: peterjb@bii.a-star.edu.sg 27 28 29 Dr Chandra Verma 30 Bioinformatics Institute (A*STAR) 31 30 Biopolis Str. 32 #07-01 Matrix 33 Singapore 138671 34 Email: chandra@bii.a-star.edu.sq 35 36 37 38 Keywords: molecular dynamics (MD) simulations, glycosylation, sugars, 39 carbohydrate, lectins, aggregation, umbrella sampling (US), potential of mean force 40 (PMF), coarse graining (CG) 41

Abstract

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Glycans play a vital role in a large number of cellular processes. Their complex and flexible nature hampers structure-function studies using experimental techniques. Molecular dynamics (MD) simulations can help in understanding dynamic aspects of glycans if the forcefield (FF) parameters used can reproduce key experimentally observed properties. Here, we present optimized coarse-grained (CG) Martini FF parameters for N-glycans, calibrated against experimentally derived binding affinities for lectins. The CG bonded parameters were obtained from atomistic (ATM) simulations for different glycan topologies including high mannose and complex glycans with various branching patterns. In the CG model, additional elastic networks are shown to improve maintenance of the overall conformational distribution. Solvation free energies and octanol-water partition coefficients were also calculated for various n-glycan disaccharide combinations. When using standard Martini non-bonded parameters, we observed that glycans spontaneously aggregated in the solution and required down-scaling of their interactions for reproduction of ATM model radial distribution functions. We also optimised the non-bonded interactions for glycans interacting with seven lectin candidates and show that scaling down the glycan-protein interactions can reproduce free energies obtained from experimental studies. These parameters should be of use in studying the role of glycans in various glycoproteins, carbohydrate binding proteins (CBPs) as well as their complexes, while benefiting from the efficiency of CG sampling.

Introduction

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Glycosylation is a key post-translational modification involved in a wide range of cellular processes including host-pathogen interactions^{1,2}, cell trafficking³. fertilization⁴, immune system function⁵, energy storage⁶⁻⁸, and are associated with disease states such as congenital disorders including cellular transport defects9, muscular dystrophies^{10–12} as well as cancer progression¹³. Glycans play a major role in folding and stability of glycoproteins¹⁴. They are one of the key parameters to be considered while developing therapeutic antibodies^{15–17}. Glycans bind to carbohydrate recognition domains (CRDs) of lectins¹⁸ with low affinity¹⁹, giving cells a versatile system for carbohydrate-protein recognition. They are made up of monosaccharides which can form a variety of anomeric ring linkages resulting in different structures and associated specificities for diverse receptors. These structures range from e.g. cellulose, which is a linear polymer, to cyclodextrins²⁰, a cyclic polymer. Branching of glycans gives them an overall tertiary structure and in turn contributes to the quaternary structures of glycoproteins²¹.

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Glycans are classified according to their protein attachment sites. N-linked glycans are covalently bound to asparagine (N) at the NxS/T motif, where x can be any amino acid apart from proline (P). The other major type of glycans are called O-linked glycans due to their attachment to the hydroxyl oxygen atom of serine (S) or threonine (T) residues^{21,22}. Depending upon the sugars (mannose (Man), n-Acetylglucosamine (GlcNAc) and galactose (Gal)) that extend the common core sequence, Man- α (1,6)-(Man- α (1,3)-Man- β (1,4)-GlcNAc- β (1,4)-GlcNAc- β 1-N-X-S/T, N-glycans are classified into three classes. In the first class, the high mannose (oligomannose) type, the core is extended only by mannose sugars. The second is the complex class, in which

branches are extended by N-acetylglucosaminyltransferases (GlcNAcTs). The third class includes the hybrid glycans, in which the Man- $\alpha(1,6)$ arm is attached only to mannose sugars while either one or two complex branches are attached to the Man- $\alpha(1.3)$ arm^{21,22}. Even though there are only three classes of these glycans, the number of glycans found in each class is numerous, hampering structure-function studies. The complexity of the multistep glycosylation pathways very often results in multiple glycoforms for each glycoprotein²³. Also, the inherently flexible nature of glycosidic linkages typically makes it difficult to define their precise structure by either X-ray crystallography or NMR spectroscopy beyond a few monosaccharide units²⁴. The requirement of highly purified samples further complicates NMR studies²³. Very often glycoproteins are deglycosylated in order to reduce the microheterogeneity and associated surface entropy in an attempt to obtain higher resolution crystal structures²⁵. Mass spectrometry can provide structural data for small glycans but is harder for larger complex glycans due to difficulties in determining the glycosidic linkages^{26,27}. Hence, even though glycans are biologically very important, rapid experimental characterization of their structure and delineation of their functional roles remains a major challenge.

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The gaps in understanding the role of glycans at the molecular level and their potential impact on biological processes can potentially be filled by computational modelling, and in particular, by the use of molecular dynamics (MD) simulations. The precise dynamic, biophysical, and thermodynamic *in silico* properties of polysaccharides that can mimic experimental observations depend upon their representation and parameters defined within the FF. Several carbohydrate-specific FFs have been developed in recent years^{28–31}, the choice of which depends upon the application and

simulation conditions desired. The MM332 FF is useful for reproducing gas phase potential energy curves while the SPASIBA³³ FF is designed to reproduce infrared and Raman spectroscopy data. Other FFs such as AMBER³⁴, CHARMM³⁵, GROMOS³⁶, and GLYCAM²⁸ are good choices for simulating solvated systems but might not be able to reproduce crystal-phase infrared data (see e.g. 33,37). Excellent web based tools such as CHARMM-GUI^{38,39} and GLYCAM-Web⁴⁰ make it easier to generate input data for glycan simulations and have been employed in studies that seek to understand, for example, their interactions with other biomolecules as well as their dynamics in different environments^{41,42}. Many of these studies were carried out using ATM representations, which can limit the accessible time scales that may be reached. Biologically relevant complexes containing glycans, such as antibodies, carbohydrate recognition domains like DC-SIGN, or mannose receptors, can encompass millions of atoms, thus making these calculations very expensive and limiting time scales to the sub-microsecond regime, i.e. not equivalent to those sampled in key biological processes or biophysical experiments that reach microseconds to milliseconds or beyond⁴³. Alternatively, a CG representation, in which groups of atoms are represented as larger beads, can be helpful in overcoming the associated limitations, by reducing the number of degrees of freedom and simplifying the energy landscape.

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The Martini FF⁴⁴ is one of the most widely used CG models for biomolecular systems. Martini was originally developed for lipids, and was later extended to proteins⁴⁵, carbohydrates⁴⁶, and nucleic acids⁴⁷. In the Martini representation, approximately four heavy atoms are grouped into a single bead. This represents a relatively lighter coarse-graining approach which allows maintenance of the key structural details of biomolecules. In Martini, non-bonded parameters for different particles have been

calibrated against partitioning free energies of small compounds in polar and apolar solvents⁴⁴. The bonded parameters are typically derived empirically by comparing the distributions with ATM simulations. An increasing number of studies have shown that there is an imbalance in the non-bonded interactions, making Martini (v2.2) too "sticky" which has necessitated fine-tuning of the parameters^{48–50}. Recently, an open beta version of Martini v3.0b was released for phospholipids and proteins⁵¹. This version of Martini adds more bead types with various interaction types that aims to solve the shortcomings in the Martini v2.2 FF^{48–50}.

The Martini FF has been extended to carbohydrates 46 and includes the parameters for monosaccharides such as glucose and fructose and disaccharides like sucrose, trehalose, maltose, and cellobiose, whose particles have been calibrated to reproduce water-octanol solvation and partitioning energies. The application of these parameters to oligosaccharides such as amylose and curdlan reproduced their key structural properties 46 . Nevertheless, the FF still lacks bonded parameters for different types of glycosidic linkages as well as branching patterns specific to N-glycans such as trimannose (Man- $\alpha(1,6)$ -[Man- $\alpha(1,3)$ -]Man) and bisected N-glycans 14 . In addition, parameters are not presently available for N-Acetylglucosamine (GlcNAc), Fucose (Fuc), and Sialic acid (Neu5Ac), which are very common building blocks in many of the N-glycans found in glycoproteins. Hence, there is a gap in the availability of parameters covering the variety of linkages and topologies needed to model biologically relevant glycans, as well as in reproducing experimentally observed glycan-protein binding affinities and aggregation properties.

In this work, we have extended the Martini FF to N-glycans. As there are many possible glycans, we have restricted our parameterization to the most commonly found N-glycans at present. The bonded parameters for glycans with different glycosidic linkages and branching patterns were obtained by comparing them to ATM simulation data. Elastic networks were shown to be useful in maintaining the conformations of longer glycans. We also observed that the CG glycans tend to aggregate in solution, as in previous studies⁴⁸. Solvation and partitioning coefficients were calculated and compared against prediction methods such as ClogP and KOWWIN⁵². Binding free energies of glycans to lectins, obtained from umbrella sampling (US) calculations were overestimated for all the glycans, confirming a requirement for the fine tuning of non-bonded parameters. This was achieved by scaling non-bonded interactions and comparing the data to binding free energies, radial distribution functions, as well as second virial coefficients (B₂₂)⁵³. We found that relatively modest scaling helped to reproduce solution behaviour of glycans only systems and most of the experimental binding affinities in the case of seven candidate lectins.

Methods

All atom simulations

The GROMOS54a7⁵⁴ united atom (UA) FF was used for various α and β glycosidic linkages with different monosaccharides including D-glucose (Glc), D-mannose (Man), and D-galactose (Gal). D-Glucose parameters were used for the glucose unit of the n-acetyl-D-glucosamine (GlcNAc). The bonded parameters for GlcNAc- β 1-asparagine (N-) connections were derived from the extended GROMOS53a6_{GLYC}³¹ FF for glycoproteins. D-fucose (Fuc) and D-sialic acid (Neu5Ac) were manually prepared based on the corresponding galactose and mannose structures, respectively. Different

types of ATM N-Glycan structures including disaccharides, trisaccharides (Figure 1) and full length glycans (Figure 2) were constructed using the GLYCAM carbohydrate builder⁴⁰. Each structure was placed in a cubic box such that any atom was at least 1 nm away from any wall of the simulation box to avoid self-interaction. The molecules were then energy minimized for \leq 2000 steps using the steepest descent (SD) algorithm with a 0.01 nm step size⁵⁵. The simulation box was solvated with explicit SPC water molecules⁵⁶ and then again energy minimized using SD. lons were added to neutralize the overall system charge. The systems were equilibrated for 5 ns in the NPT (constant number of atoms, pressure and temperature) ensemble. The production runs were performed for 1000 ns and convergence was assessed by performing block analysis on the bond, angle, and dihedral distributions. The simulations were run using the velocity rescale thermostat with an additional stochastic term⁵⁷ at a temperature of 310 K with a relaxation time of 0.1 ps. The Berendsen barostat⁵⁸ was used to maintain the pressure at 1.0 bar with weak coupling using a relaxation time of 1 ps. All bonds to hydrogen atoms were constrained using the LINCS⁵⁹ algorithm with a relative geometric tolerance of 10⁻⁴ enabling a time step of 2 fs to integrate Newton's equations of motions with the leap-frog algorithm. A shortrange cut-off of 1.2 nm was used for electrostatics and van der Waals interactions. The Particle Mesh Ewald (PME)⁶⁰ method was used for long-range electrostatics, with a 1.2 nm real space cutoff. In addition to GROMOS54a7, comparative simulations using the CHARMM36m⁶¹ FF with the TIP3P water model were used to assess the solution behaviour of glycans, in which case similar conditions were applied along with an additional force switch smoothing function from 1.0 to 1.2 nm for van der Waals interactions. Atomic coordinates were saved every 0.1 ns. All AA simulations were run

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using the GROMACS 5.1.2⁶² package on an in-house Linux cluster as well as on the ASPIRE 1 supercomputer of the National Supercomputing Centre Singapore (NSCC).

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CG simulation setup

We followed the Martini mapping scheme for simple monosaccharides and unbranched oligosaccharides as suggested for carbohydrates⁴⁶. In this mapping scheme, each sugar is modelled using three beads and the glycosidic bonds are made by connecting the central beads of two monosaccharides, regardless of the type of glycosidic linkage. However, this is harder to implement in the case of glycans with heavy branching where as many as four monosaccharides are attached to one monosaccharide, such as in bisected tetra-antennary complex glycans. Hence, for these heavily branched glycans, we employed a slightly different method for connecting the monosaccharides. Figure 1 shows the typical di/trisaccharide combinations observed in N-glycans. In the case of Fuc- $\alpha(1,6)$ -GlcNAc, the $\alpha(1,6)$ bond was represented by linking the 2nd and 5th beads. For trimannose Man- $\alpha(1,6)$ [Man- $\alpha(1,3)$]-Man, the $\alpha(1,3)$ bond was represented by linking the 3^{rd} and 4^{th} beads and the same was done for other types of glycosidic linkages (Figure 1). The bonds were implemented between beads containing atoms originating from the glycosidic linkage in their ATM counterparts. All monosaccharides were linked using the above strategy for all the glycosidic bonds including $\alpha/\beta(1/2, 2/3/4/6)$ connections. The bead types used for most of the monosaccharides were chosen as suggested in the original carbohydrates Martini CG study⁴⁶ and slightly modified depending upon the new mapping scheme (Figure 1). P1, SP2 and P4 polar beads were used for monosaccharides with a three bead model such as Man and Gal. Fuc, GlcNAc and Neu5Ac models were not previously available, so a five bead model was used to represent Neu5Ac using Qa, SP1, P4 and P5 beads. Fuc was parameterized using SP1, P2 and P4 beads. A four bead model was used for GlcNAc in which P1, SP2, P3 beads were used to model the core sugar while SP1 was used to model the acetyl group. The beads for the Fuc, GlcNAc and Neu5Ac were chosen based on chemical intuition and by analogy with previously parametrised carbohydrate-like molecules^{46,63}, and further validated by calculating their partitioning data (see below). The mapping schemes are shown in Figure 1, while bead type selections for each of them are given in supplementary Table S2.

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CG simulation parameters

The Martini FF^{44,46,64} was used for all the CG simulations performed in this study. ATM glycans were mapped according to the representation in Figure 1. Each di/trisaccharide system was prepared similarly to the ATM system. Systems were solvated with Martini water beads and 10% antifreeze particles. Ions were added to neutralize the overall system charge before energy minimization using SD. A time step of 10 to 20 fs was used to integrate the equations of motion using the leap frog algorithm. A constant temperature of 310 K and a constant pressure of 1 bar were maintained, via the velocity rescale thermostat⁶⁵ and the Parrinello-Rahman barostat⁵⁴ with relaxation times of 1 ps and 12 ps, respectively. The non-bonded interactions were truncated at a distance cut-off of 1.1 nm. Electrostatics were handled using a reaction-field⁶⁶ with a cut-off of 1.1 nm. Production runs were carried out for 1 µs with coordinates saved every 0.2 ns. These parameters were directly taken form the suggested mdp file available settings the Martini website on (http://cgmartini.nl/images/parameters/exampleMDP/martini v2.x new-rf.mdp).

Parameterization of CG bonded interactions

Three types of bonded harmonic potentials were used. The potential $V_{bond}(r)$ was used to describes the bonds between the CG particles using:

$$V_{bond} = \frac{1}{2} K_{bond} (r - r_{bond})^2 \tag{1}$$

- where r_{bond} and K_{bond} are the equilibrium distance and the force constant, respectively.
- A harmonic potential for angles was used for three consecutive beads:

$$V_{angle} = \frac{1}{2} K_{angle} (\theta - \theta_0)^2$$
 (2)

- where Θ_0 and K_{angle} are the equilibrium angle and force constant, respectively. When
- the angle was found to be greater than 140°, the restricted bending potential (ReB)
- was used in order eliminate numerical instabilities associated with dihedral angles:

$$V_{angle_ReB} = \frac{1}{2} \frac{K_{angle} (\cos\theta - \cos\theta_0)^2}{\sin^2 \theta}$$
 (3)

272 Dihedrals were described using the function:

$$V_{dihedral} = K_{dihedral} (1 + \cos(n * \theta - \theta_{dihedral})) \tag{4}$$

- where $\Theta_{dihedral}$ is the equilibrium angle between planes defined by the coordinates of
- 274 the atoms i, j, k and j, k, I respectively, $K_{dihedral}$ is the force constant, and n is the
- 275 multiplicity. Most of the dihedrals with a single minimum were fitted using a multiplicity
- of 1, while those with two minima were fitted using a multiplicity of 2.

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- 278 All the ATM trajectories for the systems in Figure 1 were converted to pseudo CG
- 279 trajectories. Bonds, angles and dihedral distributions were obtained from these
- 280 pseudo-CG ATM based trajectories and converted into potentials using the Boltzmann
- 281 inversion method, and fitted with the respective bonded potential functions. CG
- 282 simulations with these potentials were run and manually fine-tuned in an iterative

fashion until they matched as closely as possible to the ATM distributions. Ultimately, these parameters were averaged for the molecules having the same types of bonds and angles within the same disaccharide (eg. GlcNAC- $\beta(1,4)$ -GlcNAC) or different disaccharides (eg. Man- $\beta(1,4)$ -GlcNAC and GlcNAC- $\beta(1,4)$ -GlcNAC) since we observed a maximum of only 5-10% variation between them. The parameters for all di/tri-saccharides (Figure 1) are shown in Table S1 and the ATM vs CG distributions are shown in Figure S1.

CG non-bonded interactions

In Martini, the van der Waals component of the non-bonded interactions is described by the Lennard Jones (LJ) 6-12 potential energy function:

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$$V_{LJ}(r_{ij}) = 4\epsilon_{ij} \left[\left(\frac{\sigma_{ij}}{r_{ij}} \right)^{12} - \left(\frac{\sigma_{ij}}{r_{ij}} \right)^{6} \right]$$

$$V_{LJ}(r_{ij}) = \frac{C_{ij}^{12}}{r_{ij}^{12}} - \frac{C_{ij}^{6}}{r_{ij}^{6}}$$
(5)

where σ_{ij} is the distance at which the potential crosses zero and epsilon ε_{ij} is the well depth. There are a total of 19 different bead types. Beads are divided into four categories according to their ε values: polar (P), nonpolar (N), apolar (C) and charged (Q). Each main type of bead is subdivided by its hydrogen bonding properties such as donor (d), acceptor (a), both (da) and none (0). The polarity of the bead ranges from low (=1) to high (=5) with interaction level (ε) ranging from 2.0 to 5.6 kJ mol⁻¹ and an interaction distance (σ) of 0.47 nm. Smaller beads are used for ring structures with σ =0.43nm and 75% of the normal ε value. These values were previously parameterized to reproduce partition free energies of a library of small molecules⁴⁴. In order to optimise the non-bonded interactions for our glycans of interest, we changed

the well depth of the LJ potential i.e. modified the value of ϵ using the following 306 equation.

$$\epsilon_{new} = 2 + \lambda (\epsilon_{original} - 2) \tag{6}$$

where λ is a scaling factor ranging from 0 to 1, whilst the value of ϵ remains unchanged when $\lambda=1.0$ and becomes 2 kJ/mol when $\lambda=0$, corresponding to the lowest value of ϵ for a bead in the Martini FF. A similar approach has been used in other studies to correct the non-bonded FF parameters^{48,49}. Only the solute-solute (glycan-glycan or glycan-protein) interactions were scaled down while solute-solvent and solventsolvent interactions were kept at their default level. This was done by adding special glycan bead types, and rescaling (by λ) the C⁶ and C¹² terms (Equation 5) for their interaction with other solute particles accordingly. The down-scaling of glycanglycan/glycan-protein interactions effectively makes the glycan-water interactions more favourable, consistent with experiments analysing the second virial coefficient $(B_{22})^{48}$.

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Partitioning free energies

The choice of bead types used in Figure 1 was validated by calculating partitioning propensities. Solvation free energies of various disaccharides in the water (ΔG_W) and octanol (ΔG_O) phases were used for calculating partition coefficients ($\log P_{OW}$). The free energies of solvation ΔG_W and ΔG_O were calculated using thermodynamic integration⁶⁷:

$$\Delta G_{A \to B} = G_B - G_A = \int_{\lambda=0}^{\lambda=1} d\lambda \, \langle \frac{\delta U(\lambda)}{\delta \lambda} \rangle_{\lambda} \tag{7}$$

where the potential energy change (δU) for going from state A to B is calculated as a function of coupling parameter (λ) which goes from 0 (full interactions between beads and solvent) to 1 (no interaction). Non-bonded interactions were scaled linearly. A soft core potential was used to circumvent potential singularities which occur during annihilation or creation of atoms⁶⁸. A total of 55 intermediate λ values were used, including additional ones in the high curvature regions. Each λ point was subjected to 40 ns of simulation time with the final 20-30 ns used for analysis, depending upon convergence. The free energy differences were estimated using the Bennett acceptance ratio method⁶⁹ (BAR) implemented within GROMACS. The partitioning free energy $\Delta\Delta G_{OW}$ is then the difference between ΔG_W and ΔG_O , from which the partition coefficient ($\log P_{OW}$) may be calculated using:

$$\Delta \Delta G_{OW} = -2.3RT * \log P_{OW} \tag{8}$$

The P_{OW} values from simulations were compared to partition coefficient prediction methods such as ClogP and KOWWIN, which have been benchmarked against a wide variety of compounds⁵². The water-only simulations were composed of 1 disaccharide and 1000 water molecules, while the hydrated octanol simulations were composed of 1 disaccharide, 43 water molecules, and 519 octanol molecules, representing a 0.255 water/octanol molar fraction⁷⁰. The vacuum-only simulations were composed of a single disaccharide in the simulation box.

Umbrella sampling simulations to estimate binding affinities

Potential of mean force (PMF) profiles for the association of two solute molecules (glycan-glycan or lectin-glycan pairs) were calculated using umbrella sampling (US) 71 . Thus, multiple MD simulation windows were run along a pre-defined reaction coordinate – the separation distance between solute groups, along the *z*-axis of the simulation box – with an additional biasing harmonic potential. For a lectin-glycan pair, the groups were the center of mass of the glycan and the center of mass of residues

defining the binding site in the protein. First, the two solutes were pulled away from each other at a rate of 10 nm ns⁻¹, in order to generate the initial coordinates for the US windows. In the case of glycan-lectin PMFs, the glycan was pulled away from the lectin binding site. Both pulling simulations and US windows employed a harmonic potential between the centres of mass of the two groups of interest along the z-axis using a force constant of 1000 kJ mol⁻¹ nm⁻². Each complete pulling simulation corresponded to a 3 to 5 nm distance and resulted in 30 to 40 US windows with a 0.12 nm spacing. Additional windows were added in the regions of the minima to achieve greater overlap between windows, where necessary. Each window was subjected to production runs of 500 ns. leading to 40x500 ns (20 µs) of sampling per system per replica. For each system, at least two simulation replicas were performed. Block analysis was performed in order to assess the convergence. This was done by splitting the PMF trajectories into 100 ns windows. The PMFs were constructed using GROMACS's inbuilt Weighted Histogram Analysis Method⁷² (WHAM) algorithm. The converged part of the trajectory was used for constructing the final PMF. 200 cycles of bootstrapping using the b-hist (Bayesian Bootstrapping) method with a tolerance of 10⁻⁶ was used to estimate the standard deviation across all replicas.

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Calculation of the binding free energy with standard state correction (ΔG⁰)

The binding free energy (ΔG^0) for each glycan to its lectin was calculated from the one dimensional PMF W(z) by defining ΔW as zero at the minimum of the PMF curve minus the exponential average of the PMF over the unbound region, while a correction term (ΔG_V) was added to account for the standard state volume $V^0 = 1661 \, \text{Å}^3$ based on the sampled unbound volume (V_u)⁷³:

$$\Delta G_{sim}^0 = \Delta W + \Delta G_V \tag{9}$$

$$\Delta W = RT \ln \left[\int_{hound} \exp\left(-\frac{W(z)}{RT}\right) dz / \int_{unhound} dz \right]$$
 (10)

$$\Delta G_V = -RT \ln \left(\frac{V_u}{V^0} \right) = -RT \ln \left(\frac{l_b A_u}{V^0} \right) \tag{11}$$

where A_u is the area sampled by the ligand in the unbound region. The protein backbone was restrained during the PMF calculation to prevent its rotation, which also prevented the ligand forming unproductive interactions with regions distant from the binding site in umbrella windows at increasing z-values. The unbound area was approximated as the cross-sectional area of the simulation box (i.e. the xy plane), following verification of complete sampling in x and y by each ligand across all unbound 500 ns umbrella windows (Figure S2). l_b is the bound length calculated by:

$$l_b = \int_{bound} \exp\left(-\frac{W(z)}{RT}\right) dz \tag{12}$$

No further rotational entropy corrections were necessary, as the ligands were allowed full rotational sampling in the unbound region. The standard state free energies of binding were compared with the corresponding experimental values.

Second virial coefficients (B₂₂)

Osmotic data provides information about the nature of interactions between two solute molecules. This informs on how much the simulated association deviates from experimental measurements with molar concentration $(c)^{53}$ and has previously been used to correct carbohydrate⁷⁴ and protein^{49,75} FFs. In particular, the second virial coefficient (B_{22}) comes from the virial expansion of pressure of many particle systems given by⁵⁷:

$$\Pi(T,c) = RT(c + B_{22}C^2 + B_{23}C^3 + \dots)$$
(13)

where B_{ij} are coefficients of virial expansion, B_{22} is the second virial coefficient, T is the temperature, and R is the gas constant. $B_{22} > 0$ indicates repulsive interactions between the two solutes while $B_{22} < 0$ indicates attractive interactions. The B_{22} value can be experimentally determined by self-interaction chromatography⁷⁶ or diffraction studies⁷⁷. McMillan and Mayer derived a method to calculate B_{22} values using MD simulations⁵³ providing a powerful tool that can be used to optimise FFs. In this method, the PMF W(z) can be used to obtain the B_{22} value using the following expression:

$$B_{22} = -2\pi N_A \int_0^\infty \left[exp\left(-\frac{W(z)}{RT} \right) - 1 \right] z^2 dz \tag{14}$$

where N_A is the Avogadro number, R is the gas constant, T is the temperature of the system, and z is the distance between the solute molecules.

N-glycans from di/trisaccharides

CG glycans such as high mannose, bi/tri/tetra-antennary and bisected complex glycans were constructed from component di/trisaccharide units (Figure 1). Parameters for the connecting angle between a sugar and its second neighbour were missing. To obtain these parameters, corresponding ATM glycans were constructed using the GLYCAM glycan builder⁴⁰. Again, a similar methodology as used for di/trisaccharides was used to generate pseudo CG trajectories from 1 μ s ATM simulations. As shown in Figure 2C-E, the glycosidic bonds between N-acetylglucosamine and mannose in a tetra-antennary complex glycan can be $\beta(1,2/4/6)$. These branch patterns were parameterized separately. The angles obtained are summarized in Table 1. When constructing full length glycans these parameters are added to the disaccharide parameters depending upon the topology of the glycan constructed. The different types of glycans are named according to their

Oxford notation⁷⁸. This is based on building up N-glycan structures and it can be used to denote very complex glycans: all N-glycans have two core GlcNAcs; a given number of mannose sugars on the core GlcNAcs are denoted by Mx (e.g. M3, M5, M9); the number of antennae on the trimannosyl core are given by Ax (e.g. A2, A3, A4); Gx is the number of linked galactose units on antennae (eg. A2G1, A3G3); Sx is used to denote the number sialic acids linked to galactose (e.g. A2G2S2, A3G3S1); and an F start denotes the presence of fucose (e.g. FA2, FA3G2S1).

Aggregation studies

It was previously reported^{48,63} that sugars in the Martini FF have a greater tendency to aggregate than observed experimentally. To investigate this further, systems containing 35 to 40 molecules of glycans were set up, with a ~50 g L⁻¹ concentration. Glycans should be readily soluble at concentrations of 50 g L⁻¹, as dextran, a branched polymer of glucose is soluble even at a concentration of 400 g L⁻¹ ⁷⁹. The simulations were performed using Martini v2.2, Martini 3.0b, GROMOS54a7 as well as CHARMM36m. To estimate the aggregation propensity of these glycans, RDFs were calculated. PMFs were also calculated to quantify the aggregation strength using Martini v2.2, GROMOS54a7 and CHARMM36m FFs. Triplicate simulations were used to construct the final PMFs at each scale factor. Scaling factors (λ) of 1.0, 0.9, 0.7, 0.5 and 0.3 were used to estimate second virial coefficients (B₂₂) according to equation 14.

Lectin binding studies

To supplement the partitioning and virial data, we pursued a complementary approach to validate non-bonded interactions by calculating binding free energies of different types of glycans with the lectins, which are selective for specific sugar patterns. Lectins are a class of proteins which selectively bind to mono or oligosaccharide molecules with specific glycosidic linkages¹⁸. This makes them good candidates for testing and validating the bonded as well as non-bonded parameters of our glycans. A total of seven candidate lectins, including cyanovirin-N (CVN), concanavalin-A (CONA), pterocarpus anolensis (PAL), ricinus communis agglutinin (RCA), wheat germ agglutinin (WGA), Maackia amurensis (MAA) and urtica dioicia agglutinin (UDA) were chosen; each has available crystal structures, along with either Isothermal Calorimetry (ITC) or Surface Plasmon Resonance (SPR) data for binding to various types of Nglycans. For every lectin, the ATM structure was converted to CG resolution using the martinize.py script from the Martini website. An elastic network with upper and lower cut-off values of 0.5 and 0.9 nm, respectively, and a force constant of 500 kJ mol⁻¹ nm⁻¹ ² was implemented in addition to secondary structural bond/dihedral terms to maintain the higher order structures of all lectins. While setting up the lectin-glycan systems, the sugars which were resolved in the crystal structures were aligned with the CG glycan models, while non-interacting branches of the glycan were modelled pointing outwards, into solvent. The lectins used in this study, their PDB IDs and their binding affinities for various glycans obtained either from ITC or SPR experiments are summarized in Table 3. For reasons that will become apparent below, we calculated PMFs with scaling factors of 1, 0.95, or 0.9 for each of the 13 glycan-lectin pairs (Table 3. Figure 5).

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Elastic network in extended N-glycans

As previously reported for studies of glycolipids and some oligosaccharides^{48,63}, when applying dihedral potentials in simulations of our extended CG glycans, numerical instabilities limited the maximum time step to 5 fs. This was alleviated by using ReB angle potentials, enabling a timestep of 10 fs. To retain the overall conformation in accordance with the ATM models, elastic connections were also implemented between the central bead of the first mannose of the trimannosyl (M3) core and the last monosaccharide of each branch of the glycans shown in Figure 2. In addition, harmonic angle potentials (Table 1) were added between the branch ends and the M3 core. Looking at the branch angle distributions of high mannose (M9) and complex type (FA2G2S2) glycans (Figure 3), it was observed that dihedrals alone could not reproduce the AA distributions. The distributions in CG simulations with only dihedrals were wider compared to their ATM counterparts. The distributions with either dihedrals plus elastic network or elastic network alone could, however, reproduce the ATM data closely, confirming the requirement of an elastic network to maintain the overall conformations of the glycans. This allowed us to run our simulations of glycans having an elastic network with dihedrals switched off using a stable time step of 15 fs. All the elastic network parameters are summarised in Table 1.

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Partitioning behaviour

The Martini forcefield building block parameters were derived in part according to their partitioning behaviour. In previous carbohydrate development efforts, experimental partitioning energies were accurately reproduced for various small sugars including glucose, fructose, sucrose, maltose, cellobiose, kojibiose, sophorose, nigerose,

laminaraibose and trehalose⁴⁶. Although the bead type selection is very similar to these sugars, new parameters were derived for variants including GlcNAc, Neu5Ac and Fuc. Thus, we calculated solvation free energies of various n-glycan disaccharides in water (ΔG_W) and octanol (ΔG_o) phases to obtain partition coefficients ($\log P_{OW}$) for comparison with corresponding values from empirical fragment-based models (Table 2). The $\log P_{OW}$ values were negative for all sugars, consistent with their preference towards the water phase. Overall, the simulated values are in reasonable agreement with those obtained from the empirical models, with slightly closer accordance with the ClogP data compared to KOWWIN, consistent with previous studies⁵².

Aggregation of glycans

Simulations of both high mannose and complex glycans at ~50 g L⁻¹ concentration, a concentration at which all of them should be soluble, led to aggregation within a few hundred nanoseconds at both CG and AA resolution, except when using the CHARMM36m FF (Figure 4). These aggregates remained irreversibly associated even after extending the simulations to 2 μs. When comparing against ATM FFs, GROMOS54a7 showed very similar behaviour to Martini v2.2 and 3.0b in terms of both RDFs and PMFs. However, CHARMM36m did not form clusters in any of the simulations, and also resulted in a very shallow PMF well depth (Figure 4B-C, E-F). Martini 3.0b is still in the early stages of its development and the new mapping scheme is not yet available for simple carbohydrates. So, with the added bead types and interaction levels, the final sugar mapping may still improve the results in future. Similar to findings of a previous study⁴⁸, non-bonded interactions in Martini v2.2 were found to be too attractive for the glycans. This is as reported for other Martini-

parameterized molecules like glycolipids and proteins such as lysozyme^{48,49,63}. Thus, we attempted to optimize the non-bonded parameters of the glycans, firstly by tuning the second virial coefficient (B₂₂)⁵³ and secondly by comparing the glycan binding free energies calculated from simulations with either ITC or SPR experiments. Scaling down the interactions alleviated the aggregation propensity, but required a scaling factor of 0.7 or below, to reach B_{22} coefficient values of ≥ 0 L mol⁻¹, in both cases (Figure 4D,G). The experimental value of the B₂₂ for the complex glycan (A2G2S2) is around 40 L mol^{-1 48}, which could not be achieved even after reducing the scaling factor to as low as 0.3. Nevertheless, aggregates were not formed during 1 µs simulations of high mannose and complex glycans when a scaling factor of 0.85 was used (Figure 4B,E). PMFs calculated with these scaling factors implemented for both high mannose and complex glycan were flat for a scaling factor 0.9 or below, indicating dominating water-glycan interactions as observed in the experimental conditions (Figure S5). Importantly, we also observed that aggregation was dependent upon the size of the glycans (Figure S6). Monosaccharides did not require any scaling while a scaling of 0.95-0.9 was required for disaccharides. For sugars bigger than disaccharides, a maximum scaling factor of 0.85 was required to reproduce ATM RDFs including high mannose and complex glycans.

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Binding of glycans with different lectins

Based on the results of PMF calculations, described in detail below, every lectin-glycan pair overpredicted binding free energies from unscaled simulations. Scaling by 0.95 was sufficient for most of the pairs, except for the MAA and PAL lectins, where 0.9 scaling was required. The calculated binding free energies across all systems are

summarised in the Table 3, with detailed information about the binding pocket in given in Table S3.

1. Mannose binding lectins

1.1 Concanavalin A (CONA)

The mannose binding specificity of CONA is dependent on the trimannoside core found in most N-glycans. The crystal structure⁸⁰ (Figure S7A) shows tetrameric CONA interacting with four core trimannoside Man- $\alpha(1,6)$ -[Man- $\alpha(1,3)$ -]Man or M3. The interaction site includes residues Y12, N14, T15, D16, G98, L99, Y100, A207, D208, G227 and R228. ITC experiments with GlcNAc- $\beta(1,2)$ -Man- $\alpha(1,6)$ [GlcNAc- $\beta(1,2)$ -Man- $\alpha(1,3)$]Man-OH glycan, which will be referenced as A2-nocore hereafter, yielded a Δ G of -8.4 \pm 0.1 kcal mol⁻¹ 81. In our studies, the M3 sugars of the glycan were aligned with the crystal structure. Our simulations predicted a binding free energy of -9.5 \pm 0.2 kcal mol⁻¹ (Figure 5A) for λ =1.0, which is an overprediction of ~13%.

1.2 Cyanovirin-N (CVN)

CVN is a widely studied 110 kDa lectin because of its role in inactivation of many strains of Human Immunodeficiency virus (HIV)⁸². CVN preferentially binds to high-mannose oligosaccharides⁸³. ITC experiments show that two mannose oligosaccharides M8 and M9 bind to CVN with binding affinities of -8.7 \pm 0.1 and -9.2 \pm 0.3 kcal mol⁻¹ respectively⁸⁴. The crystal structure for CVN with M9 (Figure S7B) reveals a binding interface of three stacked $\alpha(1,2)$ linked mannose sugars interacting with residues L1, G2, K3, T7, E23, N93, D95 and E101 of CVN while the rest of the chain is exposed to solvent⁸⁵. In our studies, both M8 and M9 glycans were used to estimate the binding free energy. M8 and M9 have a terminal $\alpha(1,2)$ linked mannose

which is important for the interaction. Similar behaviour to CONA was observed in the case of the CVN lectin. The calculated PMFs predict binding free energies of -9.8 \pm 0.7 and -10.9 \pm 0.4 kcal mol⁻¹ (Figure 5B & 5C) for M8 and M9 respectively, which are overpredicted by ~12% and ~18% respectively.

1.3 Pterocarpus Anolensis lectin (PAL)

PAL is a Mannose/Glucose specific lectin and multiple crystal structures showing its interactions with mono, di and trisaccharides are available ^{86,87}. Recent studies revealed PAL's interactions with M9 and M5 high mannose glycans ⁸⁸ (Figure S7C). It was observed crystallographically that PAL interacts with M5 and M9 in the same unique way in which the Man-α(1,2)-Man-α(1,6)-[Man-α(1,3)-]Man-α(1,-) motif binds to PAL via a combination of van der Waal's contacts and hydrogen bonds ⁸⁸. The glycan interacts with residues D36, N83, G106, D136, N138, E221. Both M5 and M9 interacts strongly with PAL, with binding affinities of -5.2 and -5.8 kcal mol⁻¹ respectively, as shown by ITC⁸⁸. Our simulations led to an overestimation of the interactions in the non-scaled systems for both glycans (Figure 5D & 5E). In the case of M5 and M9 the binding free energy was overestimated by ~77% and ~155% respectively. To achieve reasonable agreement with the experimental binding affinities, the interactions needed to be scaled by 0.9.

2. Galactose/N-acetylgalactosamine binding lectins

2.1 Ricinus Communis Agglutinin (RCA₁₂₀)

RCA₁₂₀ is a hemagglutinin and is tetrameric in nature. It has two α and two β subunits that are 29.5 and 37 kD in size, respectively. Out of the two types of subunits, it has been shown that the oligosaccharides interact only with the β subunits of the lectin⁸⁹.

RCA₁₂₀ specifically recognises Gal- $\beta(1,4)$ with very similar affinities for Gal- $\beta(1,4)$ -GlcNAc, Gal-β(1,4)-Glc and Gal-β(1,4)-Man terminal residues⁹⁰. SPR studies were performed with bi (A2G2), tri (A3G3) and tetra-antennary (A4G4) complex glycans (Table 3) and resulted in binding affinities of -7.7, -7.3, and -7.0 kcal mol-1, respectively⁹¹. Although there are no crystal structures showing direct interactions with any of the A2G2, A3G3 or A4G4 glycans, there is a crystallographic study showing interactions with two terminal galactoses (PDB 1RZO). In the structure (Figure S7D) of RCA₁₂₀, the first galactose interacts with D22, G25, E26, Q35, K40 and N46, while the other galactose interacts with N95 and Y125. Considering the higher number of interactions of the first GlcNAc with polar and charged residues, it was used for the PMF calculations. For all branched glycans, including bi, tri, and tetra-antennary glycans, we found that the FF overestimates the binding free energy without any scaling of interactions (Figure 5F, 5G & 5H). The energies obtained from the simulation with a scaling factor of 0.9 were -6.1 \pm 0.7, -6.3 \pm 0.7 and -6.3 \pm 0.3 kcal mol⁻¹ with 20%, 14% and 10% deviation from the experimental values for A2G2, A3G3 and A4G4 glycans, respectively.

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3. Sialic acid/N-acetylglucosamine binding lectins

3.1 Wheat Germ agglutinin (WGA)

WGA is an Neu5Ac and GlcNAc specific lectin which is antifungal in nature and has three isoforms^{92,93}. The crystal structure reveals a stable dimer with each polypeptide showing four hevein domains responsible for GlcNAc recognition⁹⁴, though not all eight binding sites were observed to be occupied in a single crystal⁹⁵. In this structure (Figure S7G), the first GlcNAc occupied the region defined by residues D86, S105, F109 from monomer 1 and A71, E72 of monomer 2, while the region defined by

residues S62, Y64, Y66, E72, Y73 of monomer 1 and S114, E115 of monomer 2 were occupied by the second GlcNAc. Binding studies revealed that WGA has the highest affinity (5.8 kcal mol⁻¹) for (GlcNAc)₅ and decreases to -3.7 kcal mol⁻¹ as the number of sugars reduces from (GlcNAc)₅ to (GlcNAc)₁⁸¹. ITC experiments of single domain recombinant WGA with (GlcNAc)₃ and (GlcNAc)₄ resulted in a 10-fold lower binding constant than the wild type oligomer, emphasizing the importance of the dimer interface in the binding of oligosaccharides⁹⁶. Considering the selectivity of (GlcNAc)₅, it was used for the calculation of PMFs, based on the first dimeric interface from the crystal structure (Figure S7G). In our studies, the binding free energies for (GlcNAc)₅ were overpredicted and scaling 0.95 was required to obtain a binding free energy of -5.6 kcal mol⁻¹ (Figure 5I) which represents a 4% deviation from experiment.

3.2 Urtica Dioicia agglutinin (UDA)

UDA is a chitin and is a GlcNAc oligomer specific lectin derived from plants^{97,98}. UDA is speculated to be antifungal and insecticidal in nature^{99,100}. Binding experiments suggest that the lectin has two binding sites with a preference for (GlcNAc)₅, with an affinity of -5.9 kcal mol⁻¹ that decreases to -3.9 kcal mol⁻¹ upon a reduction in chain length to (GlcNAc)₂.⁸¹ The crystal structure of UDA isolectin VI is available, revealing its interactions with (GlcNAc)₃¹⁰¹ (Figure S7F). The GlcNAc oligomer interacts with UDA at residues S19, C24 and Y30. In our simulations, the binding free energy with the (GlcNAc)₅ oligosaccharide – modelled based on the (GlcNAc)₃ coordinates for the middle three GlcNAc groups – was overpredicted by ~25% in the absence of scaling. A scaling of 0.95 yielded close agreement with the experimental value of -5.9 kcal mol⁻¹ (Figure 5J) with only a 7 % deviation.

3.3 Maackia Amurensis (MAA)

Maackia Amurensis has two isolectins, hemagglutinin and leukoagglutinin (MAA), which were identified by their agglutination activity against different blood cell types and their binding properties with either O-linked or N-linked oligosaccharides 102,103. Subsequently, it was shown that MAA is specific towards Neu5Ac units, especially towards the NeuAc-α(2,3)-Gal-β(1,4)-GlcNAc/Glc oligosaccharide^{104,105}. SPR binding studies of MAA with different N-glycans such as sialylated tri-antennary (A3G3S2), fully sialylated tri-antennary (A3G3S3) and fully sialylated tetra-antennary (A4G4S4) yielded similar affinities of -4.7, -5.7 and -5.5 kcal mol⁻¹ respectively, suggesting a slight preference for the NeuAc- $\alpha(2,3)$ -Gal- $\beta(1,4)$ -GlcNAc/Glc β motif¹⁰⁶. The crystal structure of MAA is dimeric with each monomer folding into large β-pleated sheets¹⁰⁷. Each monomer shows interactions with sialyllactose at residues T45, D87, S104, L107, T131, T136 and T221 (Figure S7E). The sialyllactose coordinates were used as the initial coordinates for modelling all three glycans (A3G3S2 A3G3S3 and A4G4S4) with other branches pointing towards the solvent. PMF calculations revealed that sialic acid containing glycans result in overprediction of binding free energies by ~125-200 % (Figure 5K, 5L & 5M). Scaling the interactions by 0.9 was required to obtain reasonable agreement with the experimental values.

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Discussion

The highly flexible nature of glycans limits detailed structure-dynamics-function studies using experimental techniques, but this gap may be supplemented by MD simulations. The behaviour of molecules in these simulations depends upon the FF used. In this work, we have extended the Martini parameters towards N-glycans. A slightly different mapping scheme was used where bonds were made between beads

originating from ATM models compared to the one used by Lopez et al⁴⁶ in which only the central beads were connected to describe the glycosidic linkage. Parameterization of disaccharides using this scheme was convenient for making highly branched patterns of N-glycan like bisected tetra-antennary complex glycans. Although all the N-glycan glycosidic linkages were parameterized using this mapping scheme, one should note that coarse-graining still leads to reduced accuracy. Firstly, it results in a loss of the explicit stereochemical nature and the hydrogen bonding network of sugars, which is important for the specific interactions with carbohydrate binding proteins (CBPs)^{88,92,101,107}. The water network around the sugars is lost, and in turn can affect the local translational and rotational dynamics¹⁰⁸. Although coarse-graining leads to loss of information, the Martini CG approach^{45,109–112} nevertheless implicitly maintains chemical identities by using appropriate polar bead types that have been experimentally validated against water-octanol partitioning free energies⁴⁶.

Monosaccharides undergo chair-to-boat and chair-to-chair transitions, also referred to as "ring puckering", making the choice of FF for calibration important. The ATM FF used in this study, GROMOS54a7¹¹³, reproduces these conformations very well. But in the Martini CG model, this effect is neglected. Although the ring can transition between ⁴C₁ and ¹C₄ conformations in the ATM model, the overall shape of the sugar remains the same in the CG model as a result of the grouping of atoms into unified particles, making the sugar effectively linear (Figure 1). Therefore, the CG model should not be affected by the preference of the ATM FF towards a specific conformation showing the average structure of these puckering transitions. Also, the more common dextrorotatory (D) form of sugars was considered for parametrization^{114–116}.

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The CG approach also affects the degree to which one can distinguish between α and β anomers, which were not considered here as the anomeric form of most of the sugars is already fixed for N-glycans. Multiple rotameric states of the hydroxymethyl group and its preference towards gg(-60°) and gt(60°)^{117,118} conformations was observed in the ATM simulations. We modelled the bimodal distributions using a single harmonic potential by fitting them to the most populated conformation observed. It should be noted that in future, they could be modelled via tabulated potentials¹¹⁹. The glycosidic linkages in di/tri-saccharides were represented by using dihedral potentials which orient the monosaccharides relative to each other. But in the case of N-glycans, dihedrals resulted in numerical instabilities due to geometric tension between the glycosidic bonds, as observed in other studies^{48,63}. The problem could either be solved by using a smaller timestep, which cripples the efficiency of the CG approach, or by not using the dihedral potentials at all. The first approach has been used for glycolipids⁶³ while the latter has been used for some oligosaccharides⁴⁸. A timestep of 5 fs or less is manageable but seriously limits the benefits of the CG approach. becoming computationally inefficient for larger biologically relevant systems such as glycoprotein-antibody complexes. This was partially alleviated here by using ReB angle potentials, which improves the associated numerical instabilities. Furthermore, an elastic network proved beneficial in maintaining the overall conformations of the glycans (Figure 3). This ultimately allowed the simulations to be run using a timestep of 15 fs. An alternative approach to the elastic network that could be investigated in future would be to introduce virtual sites, within the trimannose core, the disaccharides, or at other branch sites, in order to maintain key conformations via effective dihedrals¹²⁰.

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A first step towards validating the non-bonded interactions in new Martini parameters involves calculating partition coefficients for the building blocks of the molecules of interest. We observed that the selection of bead types for our di/saccharide combinations correlated well with the partition data from empirical prediction methods⁴⁶. However, constructing full length glycans from these building blocks showed some serious issues in terms of self-aggregation. Comparing the effect of the elastic network on the self-interaction energies of M9 and A2G2 complex type glycans suggests that the elastic network does result in slightly higher binding free energies (Figure S4). It has recently been shown that this is likely because of weak force constants in the elastic network resulting in a short bond length effect which creates "superinteraction" centres 121. This observed effect is small in our model as we have a maximum of just three elastic bonds, compared to 24 in the polyleucine model used in that study. But even without using an elastic network, the predicted self-binding energies for the glycans were observed to be negative, which resulted in the welldocumented "sticky" behaviour. Similar observations were made in a related study on few oligosaccharides⁴⁸. Thus, Schmalhorst et al⁴⁸ showed that carbohydrates including glucose (monosaccharide), sucrose (disaccharide), α/β-cyclodextrin (cyclic), and sialylated biantennary glycan (A2G2S2) spuriously aggregate within a few hundred nanoseconds and proposed a 50% scaling down of non-bonded interactions for oligosaccharides. Likewise, for our glycan models including A2G2S2 and high mannose (M9) (Figure 4), carbohydrate molecules aggregated within a few hundred nanoseconds. The calculated B₂₂ values were negative (Figure 4) consistent with interactions between sugars being attractive in the Martini representation, compared to positive and hence repulsive experimental B₂₂ values⁴⁸. This sticky behaviour is suggested to be in part the result of mixing smaller sized beads with regular (R) beads creating artificial energy barriers¹²¹. The effect is significant with the "tiny" (T type) beads while much lower with "small" beads (S type). So, depending upon the type and length of the glycan, the added artificial barriers will potentially aggravate the sticky nature of Martini FF.

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The overly attractive behaviour observed for oligosaccharides in the Martini FF calls for adjustments in the underlying non-bonded interactions. A simple way of solving this issue is to make the water-glycan interactions stronger or make glycan-glycan interactions weaker. The latter approach is generally preferred^{48,49} so as to keep central properties of the Martini FF constant such as the partitioning behaviour between water and apolar solvents, hence avoiding the need for complete reparameterization of the entire FF. Thus, the solvent-solvent and solute-solvent interactions were not changed. Weakening the glycan-glycan interactions partly solved the issues (Figure 4). Scaling by as much as $\lambda=0.7$ was required to reach B₂₂ coefficients of 0 L mol-1 for the high mannose and complex type glycans. The experimental B₂₂ value for A2G2S2 glycan was not attainable by scaling down the interactions drastically. Visual inspection and examination of RDFs suggested that aggregation was reversible when a scaling factor of 0.85 or lower was used, suggesting that B₂₂ is a somewhat problematic choice of parameter for optimization of non-bonded interactions (Figure 4). It is also noteworthy that the scaling factor required for reversing the aggregation is dependent upon the size of the glycan studied (Figure S6).

While solution properties of the glycans are important, their interactions with other biomolecules are equally critical. The binding of N-glycans to lectins, carbohydrate binding proteins that make specific interactions with terminal sugars of glycan chains 92,97,99,101–105,122, are crucial in many biological phenomena. Thus, optimizing the binding properties of these glycans with proteins is important for their applicability in multi-protein complexes, and reproduction of experimental affinities of glycans with proteins represents a useful way of optimizing the non-bonded parameters, as shown here. Binding free energies obtained for a total of thirteen candidate lectin-glycan pairs showed that our glycan models can reproduce the experimental binding affinities without the need for drastic corrections in non-bonded interactions (Figure 5).

It should be noted that for many of the systems, the exact binding mode of the whole glycan was often unresolved. The partially resolved sugars in available crystal structures were thus used for aligning and constructing the whole glycan which can result in multiple initial conformations. Replicates ensured that the initial structure bias was reduced. Cluster analysis showed that these glycans could maintain the overall binding pose during umbrella sampling simulations (Figure S10). A simple glycan such as (GlcNAc)₅ could distinguish between a favourable as well random surfaces on a UDA lectin (Figure S11). Unrestrained simulations of high affinity CVN+M9 maintained a very similar binding pose when compared to ATM simulations, whereas in the case of the low affinity PAL and M5 pair, the glycan was more dynamic and could drift from the pocket in both ATM and CG representations, consistent with the weak binding of the ligand (Figure S12, S13). All these observations support the applicability of the newly derived CG N-glycan models for specifically quantifying energetics with given protein-ligand pairs.

Out of 13 different lectin-glycan systems, every one of them overpredicted the binding free energies calculated during unscaled simulations. A 0.95 scaling was enough to reduce the gap between the predicted and experimental binding free energies by a large factor. It was observed that charged complex glycans — which contain an explicit charge as well as a higher number of S type beads — required a higher scaling of 0.9. In the PAL lectin, which also required 0.9 scaling, the glycan interacts with the lectin via a relatively high number of polar residues in the binding pocket compared to any other lectins (Table S3). Thus, the scaling required appears to be in part glycan type dependent, particularly when electrostatics and a greater number of small type beads are involved.

The scaling approach for Martini was first proposed by Stark et al⁴⁹ due to the imbalance of the non-bonded interactions in the Martini FF for protein-protein systems, and has since been used for glycan-glycan⁴⁸ interactions as well. In studies of dimerization of different receptors such as ErbB1 and EphA1, binding free energies were again overestimated^{123–126}. Javanainen et al⁵⁰ predicted the binding free energies of dimerization of TM domains of five candidate receptor tyrosine kinases (RTKs) and suggested a relatively modest correction of 10% in the well depth (ε) to achieve better agreement with FRET studies⁵⁰ compared to the 60% correction suggested by Stark et al⁴⁹ where they compared their PMFs against the B₂₂ coefficient. In the present work, we also obtained data pointing towards the imbalance in the Martini FF, but this was not drastic and was alleviated by scaling the non-bonded interactions by a relatively small value.

Conclusions

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In summary, we have extended the Martini CG model parameters to N-glycans with various branching patterns. An elastic network was found to be advantageous in maintaining the conformations of branched glycans. The spurious self-aggregation of glycans could be alleviated by scaling the non-bonded interaction, and when working with glycans in solution, we recommend a scaling factor of 0.85. On the other hand, when protein-binding is involved, free energy calculations with a wide variety of lectins revealed that only modest scaling was needed to achieve experimental ΔG values from SPR or ITC experiments. Thus, in initial studies of novel carbohydrates, we would in general recommend that the N-glycan parameters developed herein should be implemented with a non-bonded scaling factor of 0.9 for charged and/or highly polar complex type glycans whereas 0.95 is sufficient for the simpler high mannose type glycans. The parameters presented here should be useful for others interested in studying the role of glycans in the dynamics of various large glycoproteins and glycoprotein complexes which would benefit from a CG representation. Although the open beta version of Martini 3 has been released for phospholipid bilayers and proteins⁵¹, the bonded parameters and mapping schemes outlined in this study should be sufficiently robust for the future optimization of new compatible N-glycan parameters.

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Figures & Tables

Table 1: Extra angles and elastic network parameters for N-glycans shown in Figure 2. Each bead is defined by its name as shown in Figure 2; in some cases, a superscript is used when there are two or more similar types of connections. i.e. G2a is a G2 bead belonging to the 'a' typed sugar in Figure 2. For angles greater than 140°, the restricted bending potential (ReB) was used.

	Elastic	Rbond	Kbond		Θ	Kangle
Glycan	Bonds	(nm)	(kJ mol ⁻¹ nm ⁻²)	Angles	(°)	(kJ mol ⁻¹)
High-Mannose (M9) (A)	G2a-M2f	1.36	75	A2ASN-G2a-G2b	172	110
	G2a-M2h	1.03	75	G2a-G2b-M2c	160	40
	G2a-M2k	1.90	75	M2f-M2d-M2h	120	15
				M2f-M2c-M2k	78	10
				M2h-M2c-M2k	105	10
	M2c-GL2f	1.32	200	A2ASN-G2a-G2b	172	110
Biantennary	M2c-GL2j	1.35	200	G2-G2-M2	160	40
complex glycan				M3-G2-GL2	170	95
(FA2G2S2) (B)				G2-GL2-S1	112	30
				GL2-M2c-GL2	125	30
	I					
Tetraantennary complex glycan (FA4G4) (C)	M2a-GL2d	1.43	300	M1a-M2b-G2c	130	65
	M2a-GL2f	1.32	200	M2-G2-GL2	160	170
				M3-G2-GL2	178	70
	T					
Tetraantennary complex glycan (FA4G4) (D)	M2a-GL2d	1.43	300	M3a-M2b-G2c	138	120
	M2a-GL2f	1.32	200	M2-G2-GL2	162	170
				M3-G2-GL2	178	70
Tatus antanas s	1					
Tetraantennary complex glycan	M2a-GL2d	1.41	350	M1-G2-GL2	166	180
(FA4G4) (E)	M2a-GL2f	1.35	420	M3-G2-GL2	178	50

Table 2: Thermodynamic properties of CG n-glycan di/trisaccharides. Free energies of solvation and partition coefficients for various disaccharides compared to predictions methods ClogP and KOWWIN. The errors estimated for the solvation free energies in water (ΔG_W) and in octanol (ΔG_O) for obtaining the partitioning free energies ($\Delta \Delta G_{OW}$) were incorporated into the final reported partition coefficients ($\log P_{OW}$). These were compared against empirical predictions of $\log P_{OW}$ obtained from ClogP and KOWWIN⁵².

Molecule	ΔG_W (kcal mol $^{ ext{-}1}$)	ΔG_{O} (kcal mol $^{ ext{-1}}$)	$\Delta\Delta G_{OW}$ (kcal mol $^{ ext{-}1}$)	log P _{ow}	log P _{OW} CLogP	log P _{ow} KOWWIN
Fuc-α16- GlcNAc	-34.9 ± 0.2	-29.1 ± 0.1	5.8 ± 0.3	-4.1 ± 0.3	-3.2	-4.0
GlcNAc- β14-GlcNAc	-36.2 ± 0.1	-31.0 ± 0.2	5.2 ± 0.3	-3.7 ± 0.2	-4.1	-4.1
Man-β14- GlcNAc	-32.8 ± 0.2	-27.2 ± 0.1	5.6 ± 0.3	-4.0 ± 0.2	-4.1	-4.5
Man-α16- [Man-α13-]Man	-41.7 ± 0.2	-33.5 ± 0.2	8.2 ± 0.4	-5.8 ± 0.3	-5.9	-6.5
Man-α12- Man	-28.9 ± 0.1	-23.5 ± 0.1	5.4 ± 0.2	-3.8 ± 0.1	-4.0	-4.0
Gal-β14- GlcNAc	-32.1 ± 0.1	-26.8 ± 0.2	5.3 ± 0.3	-3.7 ± 0.1	-4.1	-4.5
Neu5Ac- α23-Gal	-35.4 ± 0.2	-28.2 ± 0.4	7.2 ± 0.6	-5.1 ± 0.4	-5.3	-6.0

Table 3: Lectins used for calculating the binding free energies (ΔG^0_{sim}) of various glycans to lectins. The binding affinities were obtained from either SPR or ITC experiments (ΔG^0_{Expt}). Errors calculated from PMFs (ΔG_{PMF}) were obtained from 200 cycles of bootstrapping. The binding free energy ΔG^0_{sim} was calculated upon addition to the ΔG_{PMF} of a correction term (ΔG_V) to convert to standard state volume, for comparison with the experimental binding free energy ΔG^0_{Expt} . Monosaccharides present in the glycans are represented by their symbolic representation, including mannose (green circle), N-acetylglucosamine (blue square), galactose (yellow circle), and Neu5Ac/sialic acid (purple diamond).

Lectin	Glycan	Scaling factor (λ)	ΔG _{PMF} (kcal/mol)	ΔG _V (kcal / mol)	ΔG^{0}_{sim} (kcal / mol)	ΔG^0 _{Expt} (kcal / mol)
Cyanovirin-N ⁸⁵ (CVN) (PDB: 3GXZ)		1.0	-8.2 ± 0.7	-1.6	-9.8 ± 0.7	-8.7 ± 0.1 ⁸⁴
		0.95	-5.6 ± 0.4	-1.9	-7.5 ± 0.4	
	<u> </u>	1.0	-9.3 ± 0.4	-1.6	-10.9± 0.4	-9.2 ± 0.3 ⁸⁴
		0.95	-6.7 ± 0.4	-1.9	-8.6 ± 0.4	
Division	•	1.0	-8.2 ± 0.6	-1.1	-9.3 ± 0.6	
		0.95	-5.3 ± 0.8	-1.0	-6.3 ± 0.8	-5.2 ⁸⁸
Pterocarpus angolensis ⁸⁸		0.9	-3.4 ± 0.6	-1.5	-4.9 ± 0.6	
(PAL) (PDB: 2PHW)	-	1.0	-13.5 ± 1.1	-1.3	-14.8 ± 1.1	-5.8 ⁸⁸
(1 00. 21 1100)		0.95	-8.6 ± 1.0	-1.4	-10.0 ± 1.0	
	••	0.9	-6.1 ± 1.2	-1.5	-7.6 ± 1.2	
	♦ -1- 0 -1- 1 -1-1-1-1-1-1-1-1-1-1-1-1-1-1-1-1-	1.0	-13.4 ± 1.7	-1.5	- 14.9 ± 1.7	-5.5 ¹⁰⁶
	\$20 PM	0.95	-8.8 ± 1.5	-1.6	-10.4 ± 1.5	-5.5
	<u> </u>	0.9	-6.1 ± 0.9	-1.8	-7.9 ± 0.9	
Maackia	AND	1.0	-11.6 ± 1.6	-1.3	-12.9 ± 1.6	-5.7 ¹⁰⁶
Amurensis ¹⁰⁷ (MAA) (PDB: 1DBN)		0.95	-6.5 ± 0.9	-1.8	-8.3 ± 0.9	
		0.9	-5.4 ± 0.9	-1.7	-7.1 ± 0.9	
	→	1.0	-13.0 ± 1.6	-1.5	-14.5 ± 1.6	-4.7 ¹⁰⁶
		0.95	-8.6 ± 0.7	-1.7	-10.3 ± 0.7	
		0.9	-5.3 ± 0.8	-1.9	-7.2 ± 0.8	
		1.0	-12.1 ± 1.1	-1.5	-13.6 ± 1.1	-7.7 ± 0.1 ⁹¹
		0.95	-9.3 ± 0.8	-1.2	-10.5 ± 0.8	
		0.9	-4.1 ± 0.7	-2.0	-6.1 ± 0.7	
Ricinus		1.0	-14.6 ± 0.3	-1.3	-15.9 ± 0.3	-7.3 ⁹¹
communis ¹²⁷		0.95	-8.7 ± 0.9	-1.5	-10.2 ± 0.9	
(RCA) (PDB: 1RZO)		0.9	-4.3 ± 0.7	-2.0	-6.3 ± 0.7	
		1.0	-12.7 ± 0.2	-1.0	-13.7 ± 0.2	-7.0 ⁹¹
		0.95	-8.0 ± 0.3	-1.2	-9.2 ± 0.3	
		0.9	-4.9 ± 0.3	-1.4	-6.3 ± 0.3	
Concanavalin A ⁸⁰ (CONA) (PDB: 1CVN)	2	1.0	-8.4 ± 0.2	-1.1	-9.5 ± 0.2	-8.4 ± 0.1 ⁸¹
		0.95	-5.9 ± 0.9	-1.3	-7.2 ± 0.9	
Wheat Germ Agglutinin ⁹⁵ (WGA) (PDB: 2UVO)		1.0	-6.7 ± 0.5	-1.8	-8.5 ± 0.5	-5.8 ⁸¹
		0.95	-3.4 ± 0.5	-2.2	-5.6 ± 0.5	
Urtica Dioicia Agglutinin ¹⁰¹ (UDA) (PDB: 1EHH)	<u> </u>	1.0	-6.1 ± 0.8	-1.3	-7.4 ± 0.8	-5.9 ⁸¹
		0.95	-4.0 ± 0.4	-1.5	-5.5 ± 0.4	

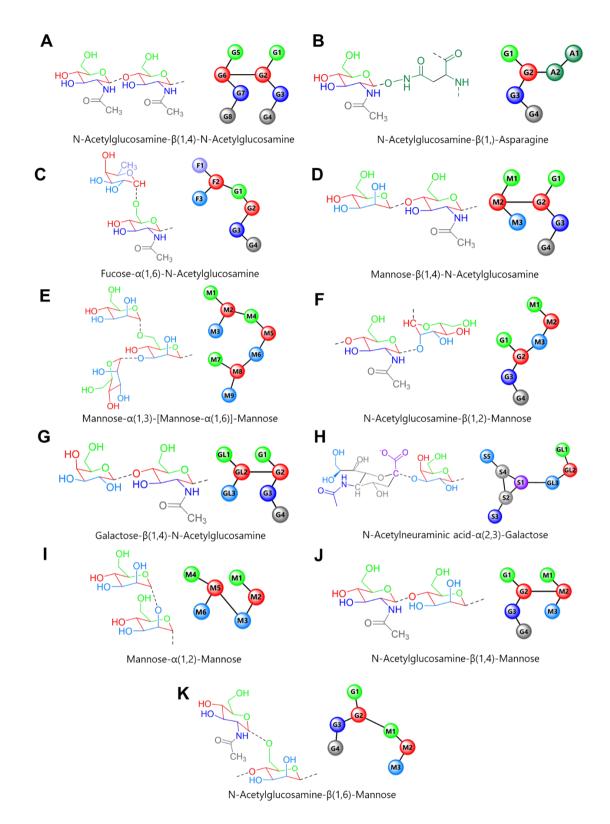


Figure 1: Disaccharide/trisaccharides used for developing parameters for N-glycans. Each image shows the atomistic representation of the saccharide (left) with mapped martini representation (right). The atoms which are mapped together are shown with the same colour as the beads in the CG model. The parameters for these di/trisaccharides are summarised in Table S1.

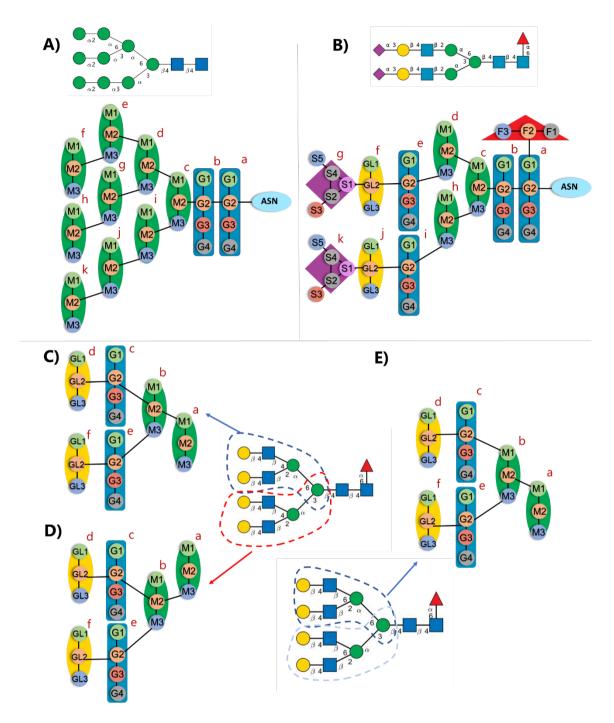


Figure 2: Parametrization of N-glycans constructed from disaccharides: (A) high mannose (M9) glycan; (B) sialylated bi-antennary (FA2G2S2) complex glycan; and (C) – (E) parts of tetra-antennary complex glycans parameterized separately for various linkages shown with dashed lines. All bonded parameters required to maintain the conformation of the glycans are summarised in the Table 1. Monosaccharides present in the glycans are represented by their symbolic representation: mannose (green circle), N-acetylglucosamine (blue square), galactose (yellow circle), and Neu5Ac/sialic acid (purple diamond).

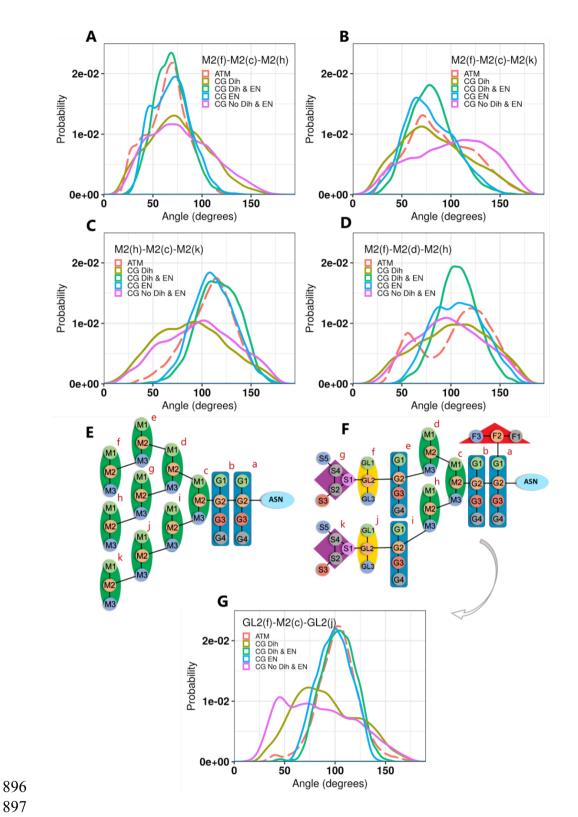


Figure 3: Branch angle distributions for M9 and FA2G2S2 type glycans. Distributions compare data from ATM simulations versus those for CG with dihedrals (CG Dih), CG with dihedrals and elastic network (CG Dih + EN), CG with elastic network only (CG EN), or CG with neither dihedrals or elastic network (CG No Dih & EN). The angles in plots A, B, C and D are for M9 as illustrated in (E). The angle in plot G is for FA2G2S2 complex type glycan as illustrated in (F).

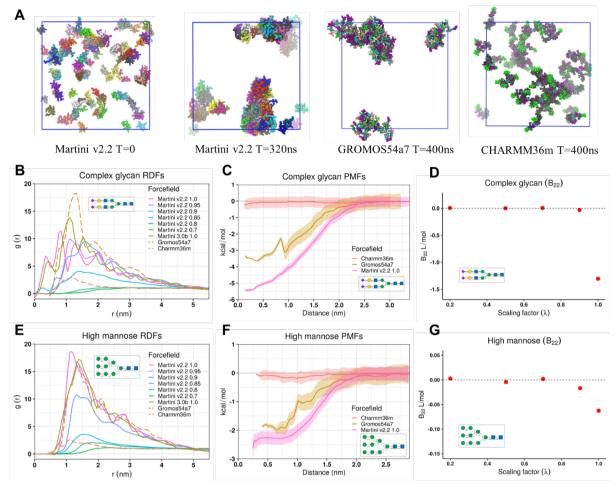


Figure 4: Aggregation propensity for complex and high mannose glycans using a range of FFs. (A) Initial and aggregated stages of glycan simulations for Martini v2.2, GROMOS54a7 and CHARMM36m forcefield. (B), (E) Radial distribution functions (RDFs) of glycans with various FFs. (C), (F) Potential mean of forces (PMFs) for glycans with various FFs. (D), (G) Partial virial coefficients (B₂₂) for Martini v2.2. Monosaccharides present in the glycans are represented by their symbolic representation: mannose (green circle), N-acetylglucosamine (blue square), galactose (yellow circle), and Neu5Ac/sialic acid (purple diamond).

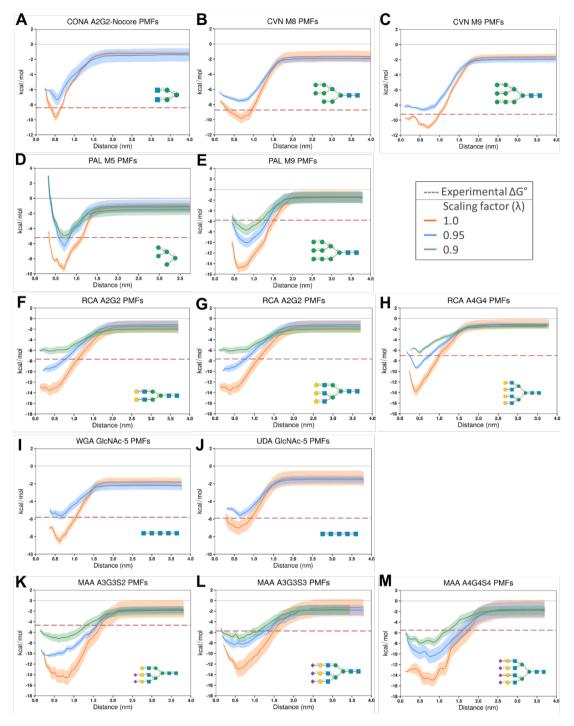


Figure 5: PMFs for different lectin-glycan systems. The glycan used for binding studies in each case is given in the right bottom corner of each plot. Error estimates are shown with the shaded region obtained from 200 cycles of bootstrapping. (A) Concanavalin A (CONA); B), (C) Cyanovirin-N (CVN); (D), (E) Pterocarpus Anolensis (PAL); (F), (G), (H) Ricinus Communis Agglutinin (RCA); (I) Wheat Germ Agglutinin (WGA); (J) Urtica Dioicia Agglutinin (UDA); and (K), (L), (M) Maackia Amurensis (MAA). Monosaccharides present in the glycans are represented by their symbolic representation: mannose (green circle), N-acetylglucosamine (blue square), galactose (yellow circle), and Neu5Ac/sialic acid (purple diamond). The volume corrections ΔG_V were added to the total PMF in order to visually compare with the experimental data (dashed lines).